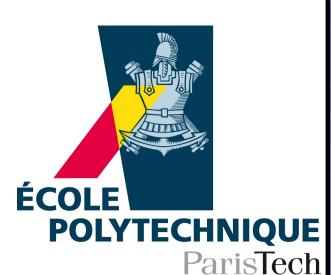


Insights into the Correlations of Pnictide Superconductors from LDA+DMFT

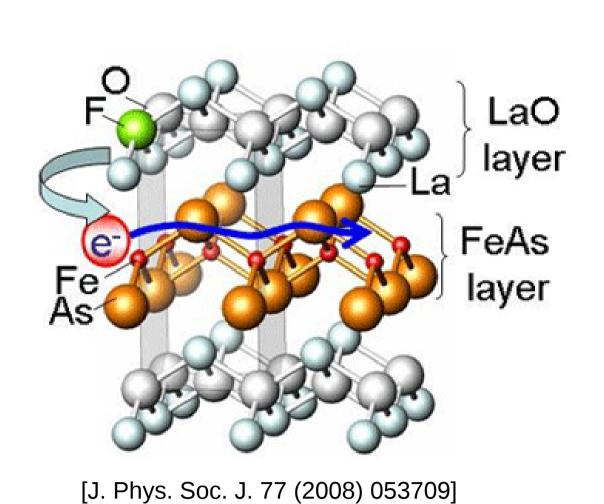




M.Aichhorn*, L. Pourovskii, V. Vildosola, M. Ferrero, O. Parcollet, T. Miyake, A. Georges, S. Biermann

*Centre de Physique Théorique, École Polytechnique, Palaiseau, France

Pnictide Superconductors

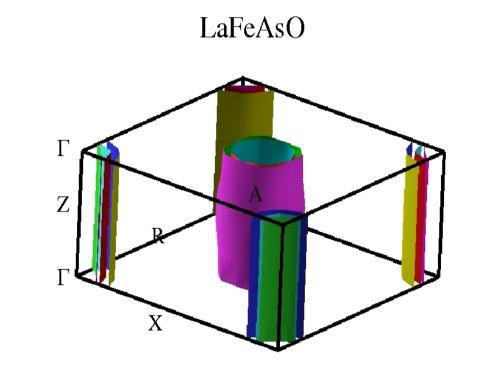


Several families: 1111: e.g. LaOFeAs 122: e.g. $BaFe_2As_2$ 11: e.g. $Fe_{1+x}Se$

'High' T_c of about 55 K (SmOFeAs doped)

Layered structure charge transfer from LaO layer to FeAs layer

low-energy bands: Fe-3*d* **Multiorbital physics!**



Is the 3d band in FeAs superconductors as strongly correlated as in the cuprates?

Early calculations: From strongly correlated to very weakly correlated!

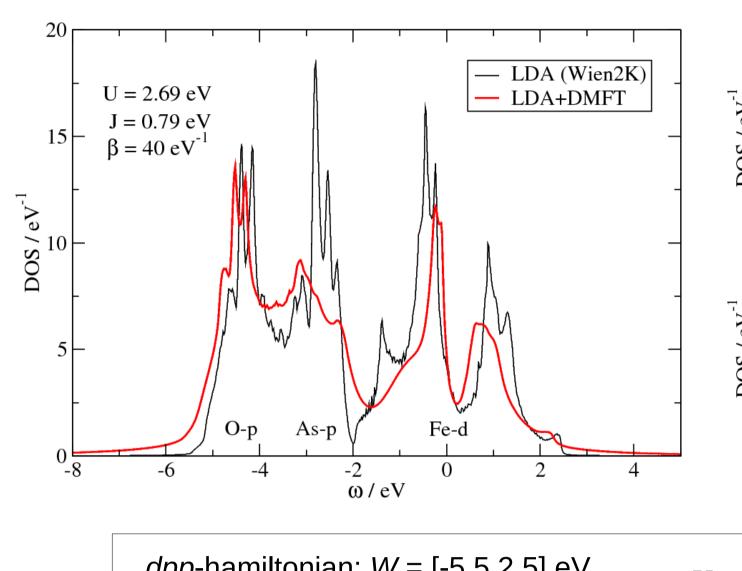
e.g. K. Haule et al.: On the verge of a Mott transition (Z=0.1) PRL **100**, 226402 (2008) e.g. V. Anisimov et al.: Weakly correlated (Z=0.5) Journal of Phys.:Condens. Mat. **21**, 075602 (2009)

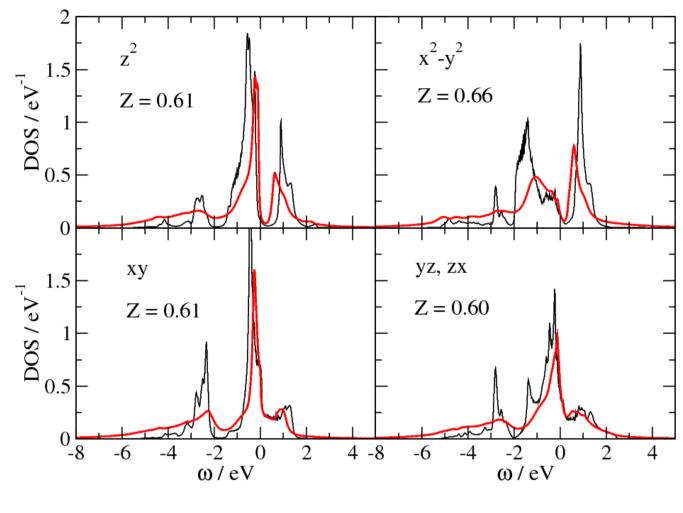
BUT: Similar methods, similar systems, similar parameters

What is the reason of these inconsistencies?

How correlated is LaOFeAs?

Density of states, Quasi-particle renormalization





dpp-hamiltonian: W = [-5.5, 2.5] eV Fe-d, As-p, O-p

 $U_{
m av} = 2.79\,{
m eV}$ $J = 0.79\,{
m eV}$ from cRPA

Fe-d bands renormalized, As-p affected by correlations O-p almost unchanged.

All orbitals show similar renormalization: average Z = 0.62, effective mass $m^* = 1.62$

No indication for upper or lower Hubbard bands!

Experimentally: Mass renormalization of $m^* = 1.8 - 2.2$ Difference: Neglect of SDW state, no spatial spin fluctuations in single site DMFT

Note: DMFT Spectra at $\omega = 0$ coincide with LDA DOS \rightarrow Fermi liquid

High energy states (La) Fe-d bands (Valence) 10 bands W = 4 eV Ligands: As-4p LDA band structure for LaFeAsO

Correlated orbitals

Wannier functions constructed by **Projection**

$$\begin{split} |\tilde{\chi}_{\mathbf{k}m}^{\alpha,\sigma}\rangle &= \sum_{\nu \in \mathcal{W}} \langle \psi_{\mathbf{k}\nu}^{\sigma} | \chi_{m}^{\alpha,\sigma} \rangle | \psi_{\mathbf{k}\nu}^{\sigma} \rangle \\ &\text{loc. orbital} \quad \text{Bloch band} \end{split}$$

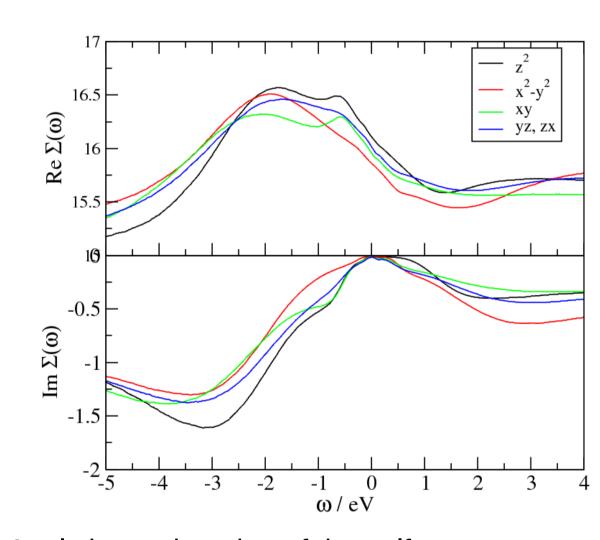
Orthonormalization $|w_{\mathbf{k}m}^{\alpha,\sigma}\rangle = \sum_{\alpha',m'} S_{m,m'}^{\alpha,\alpha'} \left|\tilde{\chi}_{\mathbf{k}m'}^{\alpha',\sigma}\right\rangle$

Projection operator matrix elements $P_{m\nu}^{\alpha,\sigma}=\langle w_{{\bf k}m}^{\alpha,\sigma}|\psi_{{\bf k}\nu}^{\sigma}\rangle$

Projected Green function

 $G_{mm'}^{\sigma,\text{loc}}(i\omega_n) = \sum_{\mathbf{k},\nu\nu'} P_{m\nu}^{\alpha,\sigma}(\mathbf{k}) G_{\nu\nu'}^{\sigma}(\mathbf{k},i\omega_n) P_{\nu'm'}^{\alpha,\sigma*}(\mathbf{k})$

Self-Energy, Spectral function



Analytic continuation of the self energy: $\Sigma(i\omega) \to \Sigma(\omega+i\delta)$

hastic Maximum Entropy

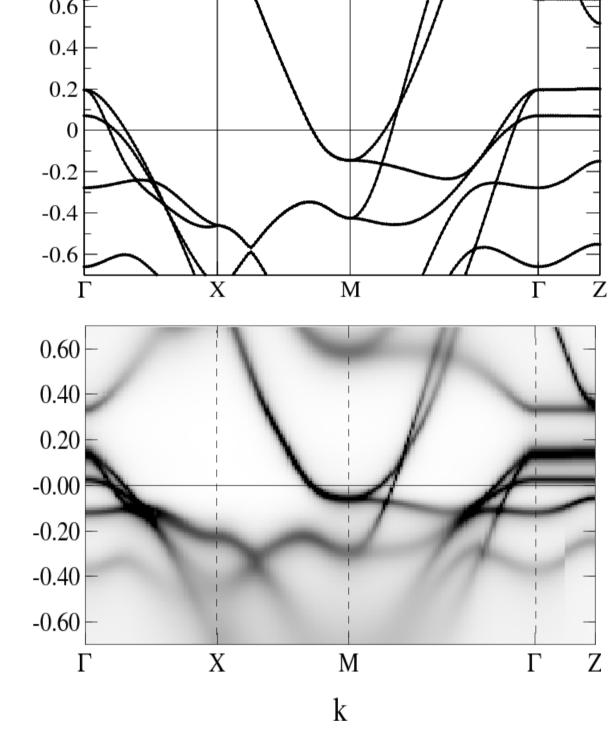
By stochastic Maximum Entropy (K.S.D. Beach, arXiv:cond-mat/0403055)

Around $\omega = 0$:

Linear behavior of real part Small imaginary part,

dispersing quadratically

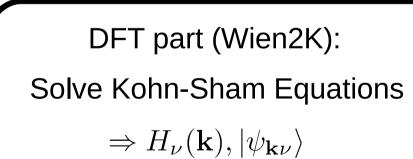
Indication of Fermi liqud behavior



well-defined quasi-particles around Fermi level Spread-out excitation for ω < -0.4 eV due to increased scattering rate (Im Σ)

Crystal field splitting: d_{z2} and d_{x2-y2} shift (cf LDA)

LDA+DMFT concept and the Impurity Problem



Interfacing: Construct local orbitals and projectors $P_{m\nu}^{\alpha,\sigma}(\mathbf{k})$

 $-\gamma$ $\Pi\nu(\mathbf{R}), |\psi\mathbf{k}\nu\rangle$

No re-interfacing with electronic structure calculation

One-shot LDA+DMFT

No full self-consistency

O-2p

DFT method:
Wien2K: Full Potential Linearized
Augmented Plane Wave code

DMFT part: $\begin{aligned} & \text{Imp. Solver:} \qquad \mathcal{G}^0_{mm'}(i\omega) \Rightarrow \Sigma^{\text{imp}}_{mm'}(i\omega) \\ & \Sigma_{\nu\nu'}(\mathbf{k},i\omega_n) = \sum_{\alpha,mm'} P^{\alpha*}_{\nu m}(\mathbf{k})(\Sigma^{\text{imp}}_{mm'}(i\omega_n) - \Sigma^{\text{dc}})P^{\alpha}_{m'\nu'}(\mathbf{k}) \\ & G^{-1}_{\nu\nu'}(\mathbf{k},i\omega_n) = (i\omega_n + \mu - \epsilon_{\mathbf{k}\nu})\delta_{\nu\nu'} - \Sigma_{\nu\nu'}(\mathbf{k},i\omega_n) \\ & G^{\text{loc}}_{mm'}(i\omega_n) = \sum_{\mathbf{k},\nu\nu'} P^{\alpha}_{m\nu}(\mathbf{k})G_{\nu\nu'}(\mathbf{k},i\omega_n)P^{\alpha*}_{\nu'm'}(\mathbf{k}) \end{aligned}$

New Bath Greens function: $\mathcal{G}_0^{-1} = \Sigma_{\mathrm{imp}} + G_{\mathrm{loc}}^{-1}$ SC condition: $G_{mm'}^{\mathrm{loc}} = G_{mm'}^{\mathrm{imp}}$

Interaction Hamiltonian (density-density):

 $H_{\text{int}} = \frac{1}{2} \sum_{mm'\sigma\sigma'} U_{m,m'}^{\sigma\sigma'} n_{m\sigma} n_{m'\sigma'}$ $W^{\bar{\sigma}}_{m\sigma} = W^{\bar{\sigma}}_{m\sigma} = W^{\bar{\sigma}}_{m$

 $U_{mm'}^{\sigmaar{\sigma}}=U_{mm'mm'}, \qquad U_{mm'}^{\sigma\sigma}=U_{mm'mm'}-U_{mm'm'm}$ orals: $F^0=U, \quad J=(F^2+F^4)/14, \quad F^4/F^2=0.625$

4-index *U*-matrix constructed from Slater integrals: $F^0=U, \quad J=(F^2+F^4)/14, \quad F^4/F^2=0.625$ Impurity Solver: **Continuous Time Quantum Monte Carlo**

Hybridisation expansion (P. Werner et al., 2006): Very efficient solver for quantum impurity problems

Density-Density interactions:

Maximum number of conserved quant

Maximum number of conserved quantities Efficient update scheme ("Segment picture") Inverse temperature reachable: $\beta = 40 \mathrm{eV}^{-1} \text{ without problems}$

Dependence on Wannier functions and Hund coupling

<u>dpp-Hamiltonian:</u>

2 69 eV .1 = 0 79 eV

U = 5.00 eV, J = 0.80 eV:

U = 2.69 eV, J = 0.79 eV: < Z > = 0.62

U = 3.69 eV, J = 0.58 eV: $\langle Z \rangle = 0.67$ U = 3.69 eV, J = 0.80 eV: $\langle Z \rangle = 0.53$ Huge Hamiltonian (60 bands):

(U and J expected to be slig

(*U* and *J* expected to be slightly larger): U = 3.69 eV, J = 0.80 eV: $\langle Z \rangle = 0.56$

U = 3.00 eV, J = 0.80 eV: $\langle Z \rangle = 0.60 \text{ eV}:$ $\langle Z \rangle = 0.73 \text{ eV}:$

Not close to a Mott transition, converged in terms of Wannier function construction

<u>d-Hamiltonian (10 Fe-d bands only):</u>

U = 4.00 eV, J = 0.70 eV: < Z > = 0.11 - 0.35 consistent with Haule *et al.*

< Z > = 0.42

U = 2.42 eV, J = 0.43 eV: < Z > = 0.5 - 0.6Strong dependence on J (artefact?)

Dotational invariant Hund couling

Rotational invariant Hund couling:

Neglected terms:

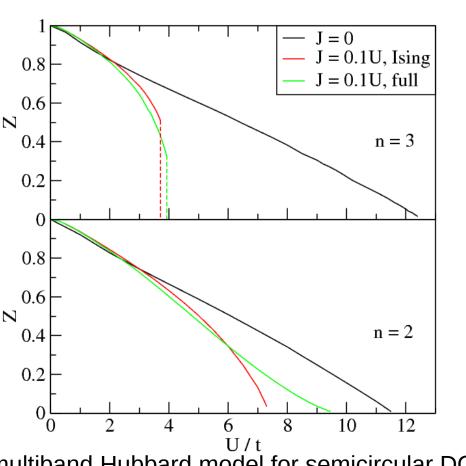
 $H_{\text{sf+ph}} = -\frac{J}{2} \sum_{\cdot} \left(c_{m\uparrow}^{\dagger} c_{m\downarrow} c_{m'\downarrow}^{\dagger} c_{m'\uparrow} + c_{m\uparrow}^{\dagger} c_{m\downarrow}^{\dagger} c_{m'\uparrow} c_{m'\downarrow} + \text{h.c.} \right)$

Negligible influence for moderate correlations, Z = 0.5

Important near phase transition, Z = 0.1-0.2!

No change in physical picture of the Pnictide superconductors

Problems with *d*-only Hamiltonian:
Delocalized Wannier orbitals!
Anisotropic interaction matrices!
How good is LDA+DMFT here?



multiband Hubbard model for semicircular DOS (self-energy functional theory)

M. Aichhorn et al., arXiv:0906.3735